

MATLAB과 PSPICE를 이용한

RLC 회로의

AC Steady-State Analysis

Phasors

$$\vec{V} = \vec{I}Z$$

- ✓ Phasors allow us to manipulate sinusoids in terms of amplitude and phase changes
- ✓ Phasors are based on complex polar coordinates
- ✓ The influence of each component is given by Z , its complex impedance

Magnitude and Phase

$$\vec{V} \equiv A \cos(\omega t + \phi) + j A \sin(\omega t + \phi) = x + jy$$

$$|\vec{V}| \equiv \sqrt{x^2 + y^2} = A \quad \text{magnitude of } \vec{V}$$

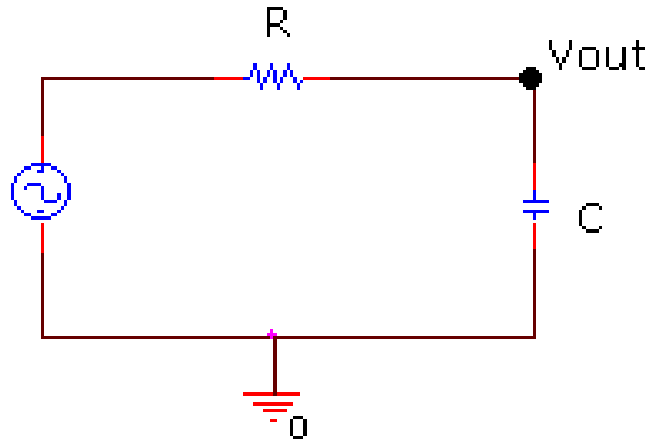
$$\angle \vec{V} = \tan^{-1}\left(\frac{y}{x}\right) = \omega t + \phi \quad \text{phase of } \vec{V}$$

- ✓ Phasors have a magnitude and a phase derived from polar coordinates rules.

Complex Impedance Z

- ❖ Z defines the influence of a component on the amplitude and phase of a circuit
 - Resistors: $Z_R = R$
 - ✓ change the amplitude by R
 - Capacitors: $Z_C = 1/j\omega C$
 - ✓ change the amplitude by $1/\omega C$
 - ✓ shift the phase -90 ($1/j = -j$)
 - Inductors: $Z_L = j\omega L$
 - ✓ change the amplitude by ωL
 - ✓ shift the phase $+90$ (j)

Simple Example



$$Z_R = R$$

$$Z_C = \frac{1}{j\omega C}$$

$$\frac{\vec{V}_{out}(j\omega)}{\vec{V}_{in}(j\omega)} = \frac{Z_C \vec{I}}{(Z_R + Z_C) \vec{I}} = \frac{Z_C}{(Z_R + Z_C)}$$

$$= \frac{1}{R + \frac{1}{j\omega C}} \cdot \frac{j\omega C}{j\omega C} = \frac{1}{j\omega RC + 1}$$

MATLAB Analysis

$$V = 10 \angle 45^\circ = x + j * y$$

where

$$x = 10 * \cos(45 * pi / 180) = 7.07$$

$$y = 10 * \sin(45 * pi / 180) = 7.07$$

$$V = inv(Y) * I$$

AC PSPICE Analysis

❖ Defining AC Sources

- ✓ Attributes Box: ACMAG and ACPHASE

❖ Single Frequency AC Simulations

- ✓ Setup Box → AC Sweep Box
- ✓ VPRINT and IPRINT

❖ Variable Frequency AC Simulations

- ✓ Probe Setup: Automatically Run Probe After Simulation

❖ Creating Plot in Probe

- ✓ View, Trace and Plot Menu